

Distributions

Continuous:

Beta	beta	shape1, shape2
Cauchy	cauchy	location=0, scale=1
Chi-Squared	chisq	df, ncp=0
Exponential	exp	rate=1
F Distribution	f	df1, df2
Gamma	gamma	shape, rate=1 (scale=1/rate)
Logistic	logis	location=0, scale=1
Log-normal	lnorm	meanlog=0, sdlog=1
Normal	norm	mean=0, sd=1
t Distribution	t	df, ncp=0
Uniform	unif	min=0, max=1
Weibull	weibull	shape, scale=1

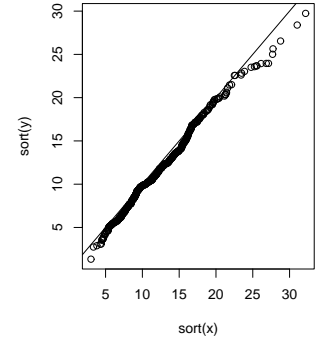
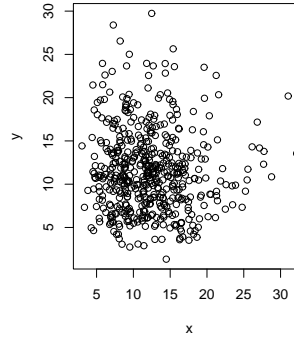
Discrete:

Binomial	binom	size, prob
Geometric	geom	prob
Hypergeometric	hyper	m, n, k
Multinomial	multinom	size, prob
Negative Binomial	nbinom	size, prob, mu
Poisson	pois	lambda

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Quantile-Quantile Plot: Same-Size Samples

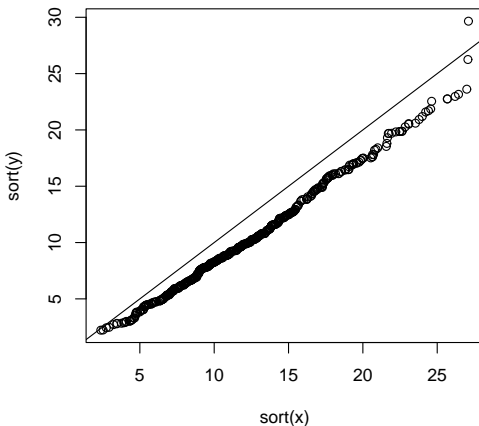
```
> x <- rgamma(500,shape=6,scale=2)
> y <- rgamma(500,shape=6,scale=2)
> plot(x,y)
> plot(sort(x),sort(y))
> abline(0,1)
>
```



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Quantile-Quantile Plot: Same-Size Samples

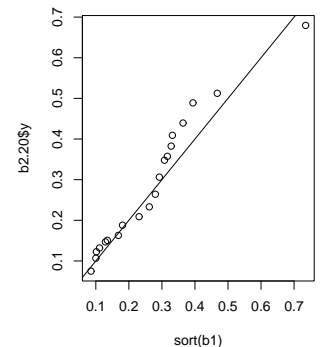
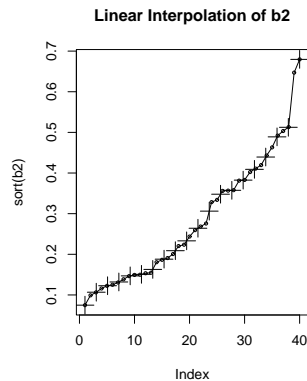
```
> x <- rgamma(500,shape=6,scale=2)
> y <- rgamma(500,shape=5,scale=2) # note different shape
> plot(sort(x),sort(y))
> abline(0,1)
>
```



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Quantile-Quantile Plot: Different-Size Samples

```
> b1 <- rbeta(20,shape1=2,shape2=5)
> b2 <- rbeta(40,shape1=2,shape2=5)
> b2.20 <- approx(sort(b2),n=20)
> plot(sort(b2),type="o",cex=.5,main="Linear Interpolation of b2")
> points(b2.20$x,b2.20$y,pch=3,cex=2)
> plot(sort(b1),b2.20$y)
> abline(0,1)
>
```

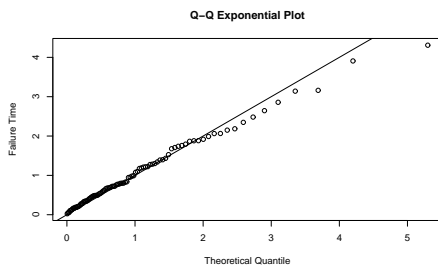


Using `qqplot(b1,b2)`; `abline(0,1)` would have produced the same plot.

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Quantile-Quantile Plot: Compare to Theoretical Dist

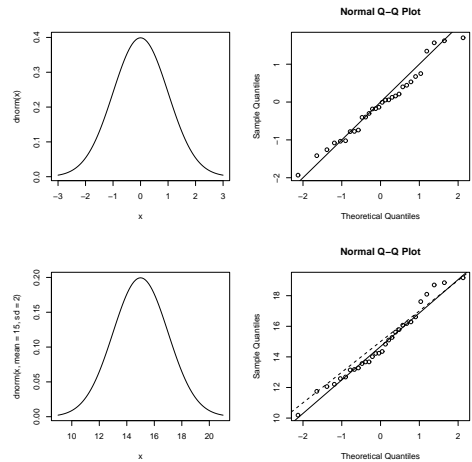
```
> ppoints
function (n, a = ifelse(n <= 10, 3/8, 1/2))
{
  if (length(n) > 1)
    n <- length(n)
  if (n > 0)
    (1:n - a)/(n + 1 - 2 * a)
  else numeric(0)
}
> ppoints(20)
[1] 0.025 0.075 0.125 0.175 0.225 0.275 0.325 0.375 0.425 0.475
[11] 0.525 0.575 0.625 0.675 0.725 0.775 0.825 0.875 0.925 0.975
> times <- rexp(100,rate=.001)
> plot(qexp(ppoints(times)),sort(times/mean(times)),
      main="Q-Q Exponential Plot",
      ylab="Failure Time", xlab="Theoretical Quantile")
> abline(0,1)
>
```



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Quantile-Quantile Normal

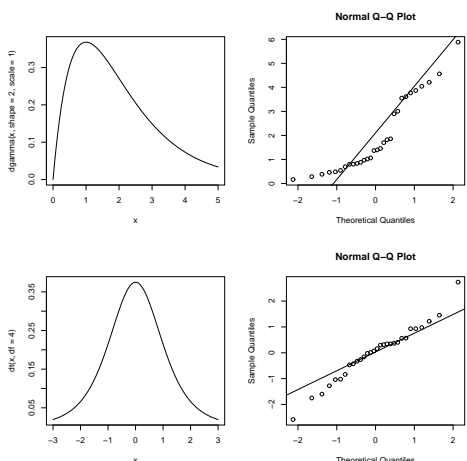
```
> curve(dnorm(x),-3,3)
> qqnorm(rnorm(30))
> abline(0,1)
> curve(dnorm(x,mean=15,sd=2),15-2*3,15+2*3)
> qqnorm(sample <- rnorm(30,mean=15,sd=2))
> abline(15,2,lty="dashed")
> qqline(sample)
```



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Quantile-Quantile Normal

```
> curve(dgamma(x,shape=2,scale=1),0,5)
> qqnorm(sample <- rgamma(30,shape=2,scale=1))
> qqline(sample)
> curve(dt(x,df=4),-3,3)
> qqnorm(sample <- rt(30,df=4))
> qqline(sample)
```



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Fitting Univariate Distributions

```
> library(MASS)
> x <- rnorm(100,mean=32,sd=6.2)
> fitdistr(x,"normal")
      mean      sd
( 0.6742990) ( 0.4768014)
> x <- rgamma(100,shape=2.5,rate=6)
> fitdistr(x,"gamma")
      shape      rate
(0.4898611) (1.1086225)
> fitdistr(x,"gamma",shape=2.5)
      rate
(0.2743224)
(0.3335774)
Warning message: one-diml optimization by Nelder-Mead is unreliable:
use optimize in: optim(start, mylogfn, x = x, hessian = TRUE, ...)
> fitdistr(x,"gamma",rate=6)
      shape
(2.9447119)
(0.1573992)
Warning message: one-diml optimization by Nelder-Mead is unreliable:
use optimize in: optim(start, mylogfn, x = x, hessian = TRUE, ...)
>
```

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(Poorly) Fitting the t Distribution

```
> fitdistr(rt(100,df=5),"t")
      m          s          df
 0.1280011  1.3145470  14.9209134
( 0.1399965) ( 0.1815344) (25.9801019)
> fitdistr(rt(100,df=5),"t")
      m          s          df
 0.05308042  0.82689901  4.57266232
(0.09647543) (0.10220995) (2.12022592)
Warning message:
NaNs produced in: log(x)
> fitdistr(rt(100,df=5),"t")
      m          s          df
-0.06649982  1.08322211  4.33767086
( 0.12674115) ( 0.15053879) ( 2.20698993)
> fitdistr(rt(100,df=5),"t")
      m          s          df
 1.533845e-01  1.387969e+00  1.396458e+05
(1.387979e-01) (9.815363e-02) (4.843165e+03)
>
```